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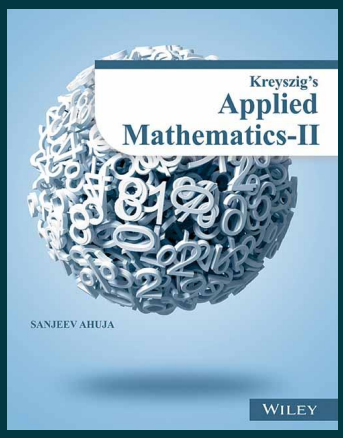

Kreyszig's Applied Mathematics-II

By Sanjeev Ahuja

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Description

This version of Advanced Engineering Mathematics by Prof. Erwin Kreyszig is globally the most popular textbook on the subject and is restructured to the present content in a concise and easy-to-understand manner. It fulfills the need for a book that not only effectively explains the concepts but also aids in visualizing the underlying geometric interpretation. Every chapter has easy to follow explanation of the theory and numerous step-by-step solved problems and examples. The questions have been hand-picked to suit the current pattern of questions asked. Extreme care has been taken to provide careful and correct mathematics, outstanding exercises.

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